

BS2551 Money Banking and Finance

Seminar 3 Solution

Suppose you have two stocks C and D, with the following probability distributions.

State	Prob	Return C	Return D
Boom	0.2	24%	5%
Growth	0.6	12%	30%
Slump	0.2	0%	-5%

a) Expected return of C = $24*(0.2) + 12*(0.6) + 0*(0.2) = 12\%$.

Standard Deviation of C = $24^2*(0.2) + 12^2*(0.6) + 0^2*(0.2) = 201.6 - (12)^2 = 57.66$. $\sqrt{57.66} = 7.59$

Using the same methodology as above compute the expected return and standard deviation of stock D.

Expected Return (D) = 18%, St Dev (D) = 15.03%.

b) Covariance between stocks C and D.

$$(24\% - 12\%) * (5\% - 18\%) * 0.2 = -31.2$$

$$(12\% - 12\%) * (30\% - 18\%) * 0.6 = 0$$

$$(0\% - 12\%) * (-5\% - 18\%) * 0.2 = 55.2$$

Covariance equals $-31.2 + 55.2 = 24$.

c) Expected Return of Portfolio
 $= (0.5)*(0.12) + (0.5)*(0.18) = 15\%$.

Standard Deviation of Portfolio

$$=(0.5)^2*(0.0759) + (0.5)^2*(0.1503) + 2*(0.5)*(0.5)*(24) = 12.06$$

Standard Deviation = 12%.

d) C is the less risky stock with the smallest st dev and the smallest return, so would be preferred by risk averse investors.

e) D is the most risky with the largest st dev and the highest return, so would be preferred by risk lovers.

Investment in a portfolio means that risk is reduced and return is higher than C but smaller than D, so seems sensible for rational investors.