## Drafts



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## What is a draft?

In grade school, the sadistic gym teacher chooses two captains. They then choose teams according to who is good, popular and friends. They alternate turns until no one is left.

## Example: Draft

Captain A: Arnold $\succ$ Bill $\succ$ Chris $\succ$ David $\succ$ Jeff $\succ$ Todd Captain B: Bill $\succ$ Chris $\succ$ David $\succ$ Arnold $\succ$ Jeff $\succ$ Todd

- Sports drafts are used in all major US sports. Most important are the NBA and the NFL.
- Similar problems exist in dispute resolution, divorce, MBA school interviews, classes, etc. We used a draft for dividing ministries between political parties.


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## Sincere and sophisticated solutions

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## Item-by-Item Pareto Optimality

An allocation $A$ is item-by-item Pareto optimal if there is no different allocation $A^{\prime}$ such that every team that receives a different allocation in $A^{\prime}$ :
> (1) can match a new player it gets in $A^{\prime}$ to a different old player it gets in $A$ and
> (2) for each such match, weakly prefers the new player in $A^{\prime}$ and
> (3) there is at least one team that strictly prefers the new palyer in $A^{\prime}$ for at least one match.

- Brams \& King [2001] shows that all sincere choices are item-by-item Pareto optimal.
- Note the two allocations compared must each have the same number of players for each team.
- Thus, teams would not want to trade single players.


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## Problems with Drafts

Sophisticated result is not necessarily item-by-item Pareto Optimal.

Example: Brams and Straffin [1979] (sequence: ABCABC)
A: $1 \succ 2 \succ 3 \succ 4 \succ 5 \succ 6$
B: $5 \succ 6 \succ 2 \succ 1 \succ 4 \succ 3$
C: $3 \succ 6 \succ 5 \succ 4 \succ 1 \succ 2$
Sophisticated yields $(31,25,64)$
Notice that $(12,56,34)$ makes EVERYONE better off.

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## Another Problem with Drafts

Sophisticated choices may not be monotonic in position. Non-Monotonicity: When somebody moves up in order it may hurt them or when they move down in order it may help them.

## Does ex-post trading help?

What about simple ex-post trading?
Example (sequence: ABAB)

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\begin{aligned}
& \text { A: } 1234 \\
& \text { B: } 2341
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- Sincere play is $A 1, B 2, A 3, B 4$ yielding $(13,24)$
- Sophisticated play is $A 2, B 3, A 1, B 4$ yielding $(12,34)$
- If $A$ chooses 2 , then
- If $A$ has bargaining power, he can trade 3 for 1 instead of 2 for 1.
- Thus, we won't get sincere outcomes.


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## Implementing the Sincere Outcome

Take any example of two teams.
Rules:
(1) Each team can choose an object still available.
(2) At the time of selection, they can make an offer to swap this object for another object already chosen.
(3) This offer is placed on hold until all objects are selected.
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## Intuition of Strategy

Either player can guarantee himself an outcome at least as good as the sincere outcome.

- Is there an object free that the other player prefers to what he has chosen? If no, choose your most preferred object.
- If yes, let $x$ be the other player's most preferred object free. Let $y$ be your most preferred that the other player has and prefers $x$ to it.
- If you prefer a free object to $y$, then chose the free object.
- If you prefer $y$ to any free object, choose $x->y$. (choose $x$ and offer to trade it for $y$ ).


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## Advantages for system

- Rules are simple.
- (simplest) Equilibrium is just like draft.
- Only complications are off simplest equilibrium.
- One only needs to know their ordinal ranking of players to play the on equilibrium strategy.
- Allocation reflects selection order: fair.
- Any item-by-item Pareto Optimal allocation is a sincere outcome of some order of play and vice versa.
- Trading draft nositions or trading olavers after the draft (both occur in sports) will arrive at bundle Pareto Optimality where each team is at least as well off as sincere.


## Open Problem

Three team procedure.

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Three team procedure.

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